Inference at $*$ 1 1
of proof for Lemma bool_sq:

1. x : ?Unit
2. y : ?Unit
3. $x = y$
4. case x of inl(x) => x | inr(x) => x = case y of inl(x) => x | inr(x) => x
5. case x of inl(x) => True | inr(x) => False = case y of inl(x) => True | inr(x) => False

$\vdash x \sim y$

by Assert $\neg$(True = False)

1: .....assertion..... NILNIL

$\vdash \neg$(True = False)

2:

6. $\neg$(True = False)

$\vdash x \sim y$

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